

# **Model Development, Validation, and Part-Load Optimization of a MEA-Based Post-Combustion CO<sub>2</sub> Capture Process Under Steady- State Flexible Capture Operation**

*Paul Akula<sup>a</sup>, John Eslick<sup>b</sup>, Debangsu Bhattacharyya<sup>a\*</sup>, David C. Miller<sup>b</sup>*

<sup>a</sup>Department of Chemical and Biomedical Engineering, West Virginia University, Morgantown,  
WV 26506, USA

<sup>b</sup>National Energy Technology Laboratory, 626 Cochrans Mill Rd., Pittsburgh, PA 15236, USA

## **Supporting Information for Publication**

## MODEL EQUATIONS FOR PACKED COLUMN

The steady-state molar balance of components in the vapor and liquid phase is given by eqs S1 and S2. In eq S2, superscript ‘a’ denotes apparent species as the chemical reactions occurring in the liquid phase produce true species that are denoted by superscript ‘t’ .

### Molar component balance for the vapor and liquid bulk

$$\frac{\partial(u_V C_{i,V})}{\partial z} = -N_{i,V}, \quad \forall i \in \{\text{CO}_{2(g)}, \text{H}_2\text{O}_{(g)}, \text{N}_{2(g)}, \text{O}_{2(g)}\} \quad (\text{S1})$$

$$\frac{\partial(u_L C_{i,L}^a)}{\partial z} = -N_{i,L}, \quad \forall i \in \{\text{CO}_{2(aq)}, \text{H}_2\text{O}_{(l)}, \text{MEA}_{(aq)}\} \quad (\text{S2})$$

### Enthalpy balance for the vapor and liquid phase

The steady-state enthalpy balance over a differential element assuming negligible ambient heat loss and negligible axial dispersion of heat is given by eq S3 for the vapor and eq S4 for the liquid phases.

$$\frac{\partial(u_V C_{tot,V} \hat{C}_{p,V} T_V)}{\partial z} = Q_V \quad (\text{S3})$$

$$\frac{\partial(u_L C_{tot,L} \hat{C}_{p,L} T_L)}{\partial z} = Q_L \quad (\text{S4})$$

### Transfer rate equations

The heat and mass transfer rates are described by eqs S5 to S13, where  $Q_V$  is the vapor film convective heat transfer term as defined in eq S5 and  $h'_V$  is the corrected heat transfer coefficient necessary for large mass transfer fluxes (Pandya 1983, Taylor et al. 1993).  $Q_L$  is defined as given in eq S6.

$$Q_V = h'_V a_e (T_L - T_V) \quad (\text{S5})$$

$$Q_L = Q_V + N_{\text{CO}_2,V} \Delta H_{abs} - N_{\text{H}_2\text{O},V} \Delta H_{vap} \quad (\text{S6})$$

$$h'_V a_e = \frac{\hat{C}_{p\text{CO}_2,V} N_{\text{CO}_2,V} + \hat{C}_{p\text{H}_2\text{O},V} N_{\text{H}_2\text{O},V}}{1 - \exp\left(-\frac{\hat{C}_{p\text{CO}_2,V} N_{\text{CO}_2,V} + \hat{C}_{p\text{H}_2\text{O},V} N_{\text{H}_2\text{O},V}}{h_V a_e}\right)} \quad (\text{S7})$$

The specific molar flux of the diffusing components across the interface is described using the two-film model as given by eq S8-S11.

$$N_{i,V} = k'_{V,i} a_e P \left( y_i - y_i^* \right), \quad k'_{V,i} = \frac{k_{V,i}}{RT_V}, \quad i \in \{CO_2, H_2O\} \quad (S8)$$

$$y_{H_2O}^* = x_{H_2O}^* \gamma_{H_2O}^* \frac{P_{H_2O}^{sat}}{P} = x_{H_2O}^t \gamma_{H_2O} \frac{P_{H_2O}^{sat}}{P} \quad (S9)$$

$$y_{CO_2}^* = \frac{y_{CO_2} + \frac{\psi C_{CO_2,L}^t}{P}}{1 + \frac{\psi}{He_{CO_2}}}, \quad \psi = \left( \frac{Ek_{L,CO_2}}{k'_{V,CO_2}} \right) \quad (S10)$$

$$C_{CO_2,L}^* = \frac{y_{CO_2}^* P}{\gamma_{CO_2} He_{CO_2}} \quad (S11)$$

$$y_i = \frac{C_{i,V}}{C_{tot,V}}, \quad C_{tot,V} = \sum_i C_{i,V} = \rho(T_V, P, y_i) \quad \forall i \in \{CO_2, H_2O, N_2, O_2\} \quad (S12)$$

$$x_i^a = \frac{C_{i,L}^a}{C_{tot,L}}, \quad C_{tot,L} = \sum_i C_{i,L}^a = \rho(T_L, P, x_i), \quad \forall i \in \{CO_2, MEA, H_2O\} \quad (S13)$$

## MODEL EQUATIONS: REBOILER

Molar component balance

$$F_{L,reb,in} x_{i,reb,in} - F_{L,reb,out} x_{i,reb,out} - F_{V,reb,out} y_{i,reb,out} = 0 \quad (S14)$$

$$\sum_i x_{i,reb,out} = 1, \quad \sum_i y_{i,reb,out} = 1 \quad (S15)$$

Energy balance

$$\dot{Q}_{reb} + F_{L,in} H_{L,in} = F_{V,reb,out} H_{V,reb,out} + F_{L,reb,out} H_{L,reb,out} \quad (S16)$$

$$\dot{Q}_{reb} = U_o A_{reb} (T_{steam} - T_{L,reb,out}) \quad (S17)$$

$$\dot{Q}_{reb} = \dot{m}_{steam} \Delta H_{steam} \quad (S18)$$

## MODEL EQUATIONS: CONDENSER

Molar component balance

$$F_{V,cond,in}y_{i,cond,in} - F_{L,cond,out}x_{i,cond,out} - F_{V,cond,out}y_{i,cond,out} = 0 \quad (\text{S19})$$

$$\sum_i y_{i,cond,out} = 1, \quad \sum_i x_{i,cond,out} = 1 \quad (\text{S20})$$

Energy balance

$$\dot{Q}_{cond} + F_{V,in}H_{V,in} = F_{V,cond,out}H_{V,cond,out} + F_{L,cond,out}H_{L,cond,out} \quad (\text{S21})$$

## MODEL EQUATIONS: PLATE HEAT EXCHANGER

While more details can be found in our previous publication (Akula et al., 2019), here is a summary of the equations:

Sub-HX Equations	Hot side(Lean solvent)	Cold side(Rich solvent)
Energy Balance	$T_{h,out}^i = T_{h,in}^i - \frac{\varepsilon_i \dot{C}_{\min}^i (T_{h,in}^i - T_{c,in}^i)}{\dot{C}_h^i}$	$T_{c,out}^i = T_{c,in}^i + \frac{\varepsilon_i \dot{C}_{\min}^i (T_{h,in}^i - T_{c,in}^i)}{\dot{C}_c^i}$
Capacitance rate	$\dot{C}_h^i = \frac{\dot{m}_h C_{p,h}}{NC_i}$	$\dot{C}_c^i = \frac{\dot{m}_c C_{p,c}}{NC_i}$
Minimum capacitance	$\dot{C}_{\min}^i = \min(\dot{C}_c^i, \dot{C}_h^i) \approx 0.5 \left( \dot{C}_c^i + \dot{C}_h^i - \left[ (\dot{C}_c^i - \dot{C}_h^i)^2 + \delta_1 \right]^{0.5} \right)$	
Maximum capacitance		$\dot{C}_{\max}^i = \max(\dot{C}_c^i, \dot{C}_h^i) \approx 0.5 \left( \dot{C}_c^i + \dot{C}_h^i + \left[ (\dot{C}_c^i - \dot{C}_h^i)^2 + \delta_2 \right]^{0.5} \right)$
Capacitance ratio	$\bar{C}_{R,i} = \frac{\dot{C}_{\min}^i}{\dot{C}_{\max}^i}$	
Effectiveness	$\varepsilon_i = \begin{cases} \varepsilon_{c,i} (\text{P is EVEN}) = \begin{cases} \frac{1 - \exp[-NTU_i(1 - \bar{C}_{R,i})]}{1 - \bar{C}_{R,i} \exp[-NTU_i(1 - \bar{C}_{R,i})]}, & \bar{C}_{R,i} < 1 \\ \frac{NTU_i}{NTU_i + 1}, & \bar{C}_{R,i} = 1, \end{cases} \\ \varepsilon_{p,i} (\text{P is ODD}) = \frac{1 - \exp[-NTU_i(1 + \bar{C}_{R,i})]}{1 + \bar{C}_{R,i}} \end{cases}$	
Number of Transfer Units	$NTU_i = \frac{U_i A_p}{\dot{C}_{\min}^i}$	
Change of pass Boundary Condition	$T_{h,out}^i = T_{h,in}^{i+1}, \quad i = 1, \dots, P-1$	$T_{c,in}^i = T_{c,out}^{i+1}, \quad i = 1, \dots, P-1$
Inlet Boundary conditions	$T_{h,in}^i = T_{h,IN}, \quad i = 1$	$T_{c,in}^i = T_{c,IN}, \quad i = P$
Channel mass flow velocities	$G_{c,i}^h = \frac{\dot{m}_h}{bwNC_i}$	$G_{c,i}^c = \frac{\dot{m}_c}{bwNC_i}$
Port mass flow velocities	$G_{\text{port}}^h = \frac{4\dot{m}_h}{\pi d_{\text{port}}^2}$	$G_{\text{port}}^c = \frac{4\dot{m}_c}{\pi d_{\text{port}}^2}$
Pressure drop applied to both sides	$\Delta P = \left( \frac{2f(L + d_{\text{port}}) PG_c^2}{\bar{\rho} d_h} \right) + 1.4 \left( P \frac{G_{\text{port}}^2}{2\bar{\rho}} \right) + \bar{\rho} g (L + d_{\text{port}})$	

Heat transfer coefficient	$h_i^h = \left( \frac{\lambda_i^h}{d_h} \right) a_1 (\text{Re}_i^h)^{a_2} (\text{Pr}_i^h)^{a_3}$	$h_i^C = \left( \frac{\lambda_i^C}{d_h} \right) a_1 (\text{Re}_i^C)^{a_2} (\text{Pr}_i^C)^{a_3}$
Overall heat transfer coefficient	$\frac{1}{U_i} = \frac{1}{h_i^h} + \frac{\delta_p}{\lambda_p} + \frac{1}{h_i^C},$	

## PROPERTIES OF CO<sub>2</sub>-MEA-H<sub>2</sub>O SYSTEM

### THERMODYNAMIC PROPERTIES

#### Molar volume

Vapor phase (ideal)

$$V_v = \frac{RT_v}{P} \quad (\text{S22})$$

Liquid phase

Pure solvent molar volume (m<sup>3</sup>/mol). T is temperature in kelvin.

$$V_s^\circ = \frac{M_s}{a_s T^2 + b_s T + c_s}, \quad s \in \{\text{MEA, H}_2\text{O}\} \quad (\text{S23})$$

Table S1: Pure molar volume parameters (Morgan et al. 2015)

Solvent, s	a <sub>s</sub>	b <sub>s</sub>	c <sub>s</sub>	M <sub>s</sub>
MEA	-5.35162×10 <sup>-1</sup>	-4.51417×10 <sup>2</sup>	1.19451×10 <sup>6</sup>	61.08
H <sub>2</sub> O	-3.2484	1.65×10 <sup>3</sup>	7.93×10 <sup>5</sup>	18.02

Liquid mixture molar volume

Correlation by Weiland et al. (1998)

$$V_L = x_{\text{MEA}} V_{\text{MEA}}^\circ + x_{\text{H}_2\text{O}} V_{\text{H}_2\text{O}}^\circ + x_{\text{CO}_2} V_{\text{CO}_2} + x_{\text{MEA}} x_{\text{H}_2\text{O}} V^* \quad (\text{S24})$$

Correlation by Morgan et al. (2015)

$$V_L = x_{\text{MEA}} V_{\text{MEA}}^\circ + x_{\text{H}_2\text{O}} V_{\text{H}_2\text{O}}^\circ + v_1 x_{\text{CO}_2} + (v_2 + v_3 x_{\text{MEA}}) x_{\text{MEA}} x_{\text{H}_2\text{O}} + (v_4 + v_5 x_{\text{MEA}}) x_{\text{MEA}} x_{\text{CO}_2} \quad (\text{S25})$$

Table S2 : Parameters for Liquid mixture molar volume

Parameter	Value
$V_{\text{CO}_2}$	$4.7470 \times 10^{-8}$
$V^*$	$-1.8218 \times 10^{-6}$
$v_1$	$1.02074 \times 10^{-5}$
$v_2$	$-2.2642 \times 10^{-6}$
$v_3$	$3.0059 \times 10^{-6}$
$v_4$	$2.0700 \times 10^{-4}$
$v_5$	$-5.6337 \times 10^{-4}$

**Specific Heat capacity**

Vapor Phase (J/mol K)

$$C_p^{ig} / R = a_0 + a_1 T + a_2 T^{-2} \quad (\text{S26})$$

T is temperature in kelvin. R is gas constant.

Table S3: Ideal gas heat capacity of vapor phase components(Smith 1950)

Component $i$	$a_0$	$a_1$	$a_2$
CO <sub>2</sub>	5.457	$1.045 \times 10^{-3}$	$-1.157 \times 10^5$
H <sub>2</sub> O	3.47	$1.45 \times 10^{-3}$	$1.21 \times 10^4$
N <sub>2</sub>	3.28	$5.93 \times 10^{-4}$	$4.0 \times 10^3$
O <sub>2</sub>	3.639	$5.06 \times 10^{-4}$	$-2.27 \times 10^4$

Liquid Phase (J/mol K)

$$C_{p,i}^L = M_i (C_1 + C_2 t + C_3 t^2 + C_4 t^3 + C_5 t^4), \quad i \in \{\text{MEA}, \text{H}_2\text{O}\} \quad (\text{S27})$$

Where  $t$  is the temperature in degree Celsius and  $M$  is the molecular weight in g/mol.

Table S4: Specific heat capacity of solvent species (Hilliard 2008)

<b>solvent</b>	$M_i$	<b>C<sub>1</sub></b>	<b>C<sub>2</sub></b>	<b>C<sub>3</sub></b>	<b>C<sub>4</sub></b>	<b>C<sub>5</sub></b>
<b>MEA</b>	61.08	2.6161	$3.706 \times 10^{-3}$	$3.787 \times 10^{-6}$	0.0	0.0
<b>H<sub>2</sub>O</b>	18.02	4.2107	$-1.696 \times 10^{-3}$	$2.568 \times 10^{-5}$	$-1.095 \times 10^{-7}$	$3.038 \times 10^{-10}$

### Heat of vaporization of water

$$\Delta_{vap} H_{\text{H}_2\text{O}} = c_1 (1 - T_r)^{(c_2 + c_3 T_r + c_4 T_r^2)} \quad T_r = \frac{T}{T_c}; \quad T_c = 647.096 \text{ K} \quad (\text{S28})$$

where T is temperature in kelvin.

Table S5: Parameters for heat of vaporization of water (J/mol K)

C <sub>1</sub>	C <sub>2</sub>	C <sub>3</sub>	C <sub>4</sub>
$5.66 \times 10^4$	0.61204	-0.6257	0.3988

### Heat of absorption

A constant heat of absorption and desorption is assumed in the absorber and stripper respectively.

$$\Delta H_{\text{absorption}} = -84 \text{ kJ/mol}, \quad \Delta H_{\text{desorption}} = -97 \text{ kJ/mol} \quad (\text{S29})$$

### Vapor Pressure

$$\ln(p_i^v) = A + \frac{B}{T_L} + C \ln T_L + D T_L^2 \quad i \in \{ \text{H}_2\text{O} \} \quad (\text{S30})$$

Table S6: Vapor pressure parameters for water (Pa)

	A	B	C	D
H <sub>2</sub> O	72.55	-7206.7	-7.1385	$4.05 \times 10^{-6}$

### Henry's constant

Henry's constant ( $He_{CO_2}$  in  $\text{Pa} \cdot \text{m}^3/\text{mol}$ ) using N<sub>2</sub>O analogy (Jiru et al. 2012)

$$\begin{aligned}
 He_{CO_2} &= \exp\left(w_{MEA} \ln(He_{CO_2,MEA}) + w_{H_2O} \ln(He_{CO_2,H_2O}) + w_{MEA} w_{H_2O} \alpha_{MW}\right) \\
 \alpha_{MW} &= 1.70981 + 0.03972(T_L - 273.15) - 4.3 \times 10^{-4}(T_L - 273.15)^2 - 2.20377w_{H_2O} \\
 w_{MEA} &= \frac{x_{MEA} M_{MEA}}{x_{MEA} M_{MEA} + x_{H_2O} M_{H_2O}}, w_{H_2O} = 1 - w_{MEA} \\
 He_{CO_2,MEA} &= He_{N_2O,MEA} \left( \frac{He_{CO_2,H_2O}}{He_{N_2O,H_2O}} \right) \\
 He_{N_2O,MEA} &= 2.448 \times 10^5 \exp\left(\frac{-1348}{T_L}\right) \\
 He_{CO_2,H_2O} &= 3.52 \times 10^6 \exp\left(-\frac{2113}{T_L}\right) \\
 He_{N_2O,H_2O} &= 8.449 \times 10^6 \exp\left(-\frac{2283}{T_L}\right)
 \end{aligned} \tag{S31}$$

Henry's constant ( $H_{CO_2}$  in Pa) using activity coefficient model

$$\begin{aligned}
 \ln\left(\frac{H_i}{\gamma_i^\infty}\right) &= \sum_s \ln\left(\frac{H_{is}}{\gamma_{is}^\infty}\right) \frac{x_s (V_{is}^\infty)^{2/3}}{\sum_{s'} x_{s'} (V_{is'}^\infty)^{2/3}} \quad s = s' \in \{\text{MEA}, \text{H}_2\text{O}\} \\
 \ln H_{is} &= a_{is} + \frac{b_{is}}{T} + c_{is} \ln(T) + d_{is} T, \quad i = \text{CO}_2, \quad s = \text{H}_2\text{O} \\
 H_{is} &= 6.6434 \times 10^8 \exp\left(\frac{-896.5}{T}\right), \quad i = \text{CO}_2, \quad s = \text{MEA}
 \end{aligned} \tag{S32}$$

Table S7: solute -solvent pair parameters of Henry's constant

Component i	CO <sub>2</sub>
Component s	H <sub>2</sub> O
Temperature units	K
$a_{is}$	170.7126
$b_{is}$	-8477.711
$c_{is}$	-21.95743
$d_{is}$	0.0057807

$V_{is}^\infty$  is calculated from the Brelvi-O'Connel model

$$\begin{aligned}
 V_{is}^\infty &= \frac{1 - C_{is}}{\rho_s k_s}, \\
 C_{is} &= -\left(\frac{v_i}{v_s}\right)^{0.62} \exp(-2.4467 + 2.12074\rho_s^r), \quad 2.0 \leq \rho_{s=\text{H}_2\text{O}}^r \leq 2.785 \\
 C_{is} &= -\left(\frac{v_i}{v_s}\right)^{0.62} \exp(3.02214 - 1.87085\rho_s^r + 0.71955(\rho_s^r)^2), \quad 2.785 \leq \rho_{s=\text{MEA}}^r \\
 k_s &= \exp\{\rho_s'[A + \rho_S'(B - C\rho_S')]\} - 1, \quad A = -0.42704, B = 2.089, C = 0.42367 \\
 \rho_s^r &= \rho_s v_s, \quad \rho_S' = \rho_s^r - 1 \\
 v_i &= v_{1,i}^{BO} + v_{2,i}^{BO}, \quad i = \text{CO}_2, \text{MEA}, \text{H}_2\text{O}
 \end{aligned} \tag{S33}$$

The Brelvi-O'Connell characteristic volume parameters are given in Table S8.  $\rho_s$  is the molar density in mol/cm<sup>3</sup>, hence the characteristic volume should be converted to similar units to compute the reduced density,  $\rho_s^r$ . The molar density of the pure solvent is obtained from the molar volume,  $V_s^\circ$

Table S8: Characteristic volume parameters (m<sup>3</sup>/kmol )

Species	$v_{1,i}^{BO}$	$v_{2,i}^{BO}$	Source
H <sub>2</sub> O	0.0464	0.0	Brelvi et al. (1972)
MEA	0.225	0.0	Zhang et al. (2011)
CO <sub>2</sub>	0.177	-3.42e-4	Yan et al. (2010)

$\gamma_i^\infty$  is the infinite dilution activity coefficient of molecular solute  $i$  in the mixed solvent.  $\gamma_{is}^\infty$  is the infinite dilution activity coefficient of molecular solute  $i$  in the pure solvent and  $x_s'$  is solute free mole fraction of the solvents.

### Activity coefficient (NRTL model)

$$\ln \gamma_i = \frac{\sum_j x_j \tau_{ji} G_{ji}}{\sum_k x_k G_{ki}} + \sum_j \frac{x_j G_{ij}}{\sum_k x_k G_{kj}} \left( \tau_{ij} - \frac{\sum_m x_m \tau_{mj} G_{mj}}{\sum_k x_k G_{kj}} \right)$$

$$G_{ij} = \exp(-\alpha_{ij} \tau_{ij}), \quad G_{ii} = 1 \quad (S34)$$

$$\tau_{ij} = a_{ij} + \frac{b_{ij}}{T}, \quad \tau_{ii} = 0$$

Table S9: NRTL binary Parameters

Component i	H <sub>2</sub> O	H <sub>2</sub> O
Component j	MEA	CO <sub>2</sub>
$a_{ij}$	4.33838	0
$a_{ji}$	3.25515	69.38507
$b_{ij}$	-2197.53	0
$b_{ji}$	0	0
$\alpha_{ij}$	0.3	0.3

### Concentration-based Equilibrium constant

$$K_i \left( \text{m}^3/\text{kmol} \right) = \exp \left( a_i + \frac{b_i}{T_L} + c_i \ln T_L \right) \quad (S35)$$

Table S10: Equilibrium constants

constant	$a_i$	$b_i$	$c_i$
$K_1$	233.4	-3410	-36.8
$K_2$	176.72	-2909	-28.46

## TRANSPORT PROPERTIES

### Viscosity

Vapor phase

Pure component

Sutherland equation is used for CO<sub>2</sub>, N<sub>2</sub> and O<sub>2</sub>.

$$\mu_{v,i} \text{ (Pa.s)} = \frac{\mu_{v,i0}}{1000} \left( \frac{0.555T_{i0} + C_i^*}{0.555(T + 459.67) + C_i^*} \right) \left( (T + 459.67) / T_{i0} \right)^{3/2} \quad (\text{S36})$$

Where T is temperature in kelvin.

Lucas method of corresponding states is used for water vapor(Reid et al. 1987).

Table S11:Sutherland's parameters

	$\mu_{v,i0}$	$T_{i0}$	$C_i^*$
CO <sub>2</sub>	0.01480	527.67	240
N <sub>2</sub>	0.01781	540.99	111
O <sub>2</sub>	0.02018	526.05	127

Viscosity of vapor mixture(Wilke 1950)

$$\mu_v \text{ (Pa.s)} = \sum_i \frac{\mu_{v,i}}{\left( 1 + \frac{1}{y_i} \sum_{\substack{j=1 \\ j \neq i}}^n y_j \phi_{ij} \right)} \quad (\text{S37})$$

$$\phi_{ij} = \frac{\left[ 1 + \left( \mu_{i,v} / \mu_{j,v} \right)^{1/2} \left( MW_j / MW_i \right)^{1/4} \right]^2}{\left( 2\sqrt{2} \right) \left[ 1 + \left( MW_i / MW_j \right) \right]^{1/2}}$$

Liquid phase

$$\begin{aligned}
 \mu_L (\text{Pa s}) &= \frac{\mu_{H_2O}}{1000} \exp \left( \frac{\left[ (a_\mu \Omega + b_\mu) T_L + c_\mu \Omega + d_\mu \right] \left[ \alpha (e_\mu \Omega + f_\mu T + g_\mu) + 1 \right] \Omega}{T_L^2} \right) \\
 \mu_{H_2O} (\text{mPa s}) &= 1.002 \times 10^{\frac{1.3272 [293.15 - T_L - 0.001053(T_L - 293.15)^2]}{T_L - 168.15}} \quad (\text{S38}) \\
 \Omega &= 100r, \quad \text{where } r = \left[ \frac{MW_{\text{MEA}} x_{\text{MEA}}}{MW_{\text{MEA}} x_{\text{MEA}} + MW_{H_2O} x_{H_2O}} \right] \\
 \alpha \left( \frac{\text{mol CO}_2}{\text{mol MEA}} \right) &= \frac{x_{\text{CO}_2}}{x_{\text{MEA}}}
 \end{aligned}$$

Table S12: Liquid viscosity parameters (Morgan et al. 2015)

$a_\mu$	$b_\mu$	$c_\mu$	$d_\mu$	$e_\mu$	$f_\mu$	$g_\mu$
-0.0838	2.8817	33.651	1817	0.00847	0.0103	-2.3890

## Surface Tension

Pure component

$$\begin{aligned}
 \sigma_i (\text{N/m}) &= c_{1,i}^\sigma \left( 1 - \frac{T_L}{T_{c,i}} \right)^{c_{2,i}^\sigma + c_{3,i}^\sigma (T_L/T_{c,i}) + c_{4,i}^\sigma (T_L/T_{c,i})^2} \quad i \in \{\text{MEA}, \text{H}_2\text{O}\} \quad (\text{S39}) \\
 \sigma_{CO_2} (\text{N/m}) &= S_1 r^2 + S_2 r + S_3 + T (S_4 r^2 + S_5 r + S_6)
 \end{aligned}$$

Table S13:: Parameters for pure component surface tension

(Asprion 2005)	$c_{1,i}^\sigma$	$c_{2,i}^\sigma$	$c_{3,i}^\sigma$	$c_{4,i}^\sigma$	$T_{c,i}$ (K)	
MEA	0.09945	1.067	0	0	614.45	
H <sub>2</sub> O	0.18548	2.717	-3.554	-2.047	647.13	
(Morgan et al. 2015)	$S_1$	$S_2$	$S_3$	$S_4$	$S_5$	
CO <sub>2</sub>	-5.987	3.7699	-0.43164	0.018155	-0.01207	0.002119

Liquid solution

$$\begin{aligned}\sigma_L (\text{N/m}) &= \sigma_{H_2O} + (\sigma_{CO_2} - \sigma_{H_2O}) F_{\sigma,CO_2} x_{CO_2} + (\sigma_{MEA} - \sigma_{H_2O}) F_{\sigma,MEA} x_{MEA} \\ F_{\sigma,CO_2} &= a_\sigma + b_\sigma \alpha + c_\sigma \alpha^2 + d_\sigma r + e_\sigma r^2 \\ F_{\sigma,MEA} &= f_\sigma + g_\sigma \alpha + h_\sigma \alpha^2 + i_\sigma r + j_\sigma r^2\end{aligned}\quad (\text{S40})$$

Table S14: Surface tension parameters(Morgan et al. 2015)

$a_\sigma$	$b_\sigma$	$c_\sigma$	$d_\sigma$	$e_\sigma$
2.4558	-1.5311	3.4994	-5.6398	10.2109
$f_\sigma$	$g_\sigma$	$h_\sigma$	$i_\sigma$	$j_\sigma$
2.3122	4.5608	-2.3924	5.3324	-12.0494

## Diffusivity

Vapor phase

$$D_{ij} (\text{m}^2/\text{s}) = 1.013 \times 10^{-2} T_V^{1.75} \frac{\sqrt{(M_i + M_j)/M_i M_j}}{P \left( \sqrt[3]{V_{Di}} + \sqrt[3]{V_{Dj}} \right)^2} \quad (\text{S41})$$

Table S15:Diffusion Volumes in Fuller-Schettler-Giddings Correlation

MEA	H <sub>2</sub> O	CO <sub>2</sub>	N <sub>2</sub>	O <sub>2</sub>
58.62	13.1	26.7	18.5	16.3

Effective or pseudo binary diffusivity (Wilke et al. 1955)

$$D_{V,i} (\text{m}^2/\text{s}) = \frac{1 - y_i}{\sum_{j=1, j \neq i}^n \frac{y_j}{D_{ij}}} \quad (\text{S42})$$

Liquid phase

$\text{CO}_2$

$$D_{L,\text{CO}_2} \left( \text{m}^2/\text{s} \right) = \left( a_0 + a_1 C_{\text{MEA},L} + a_2 C_{\text{MEA},L}^2 \right) \exp \left( \frac{b_0 + b_1 C_{\text{MEA},L}}{T_L} \right) \quad (\text{S43})$$

Where  $C_{\text{MEA},L}$  is the concentration of MEA in the liquid and T is temperature in kelvin.

Table S16: Ying and Eimer (2012) diffusivity parameters for  $\text{CO}_2$  in aqueous MEA mixture

Parameters	$a_0$	$a_1$	$a_2$	$b_0$	$b_1$
Values	$2.35 \times 10^{-6}$	$2.9837 \times 10^{-8}$	$-9.7078 \times 10^{-9}$	-2119	-20.1320

MEA

(Snijder et al. 1993)

$$D_{L,\text{MEA}} \left( \text{m}^2/\text{s} \right) = \exp \left( -13.275 - \frac{2198.3}{T_L} - 7.8142 \times 10^{-5} C_{\text{MEA},L} \right) \quad (\text{S44})$$

$\text{MEACOO}^-$

(Hoff et al. 2004)

$$D_{L,\text{MEACOO}^-} = \exp \left( -22.64 - \frac{1000}{T_L} - 0.7 \ln \mu_L \right) \quad (\text{S45})$$

## CORRELATIONS FOR TRANSFER RATES, COLUMN HYDRAULICS AND KINETICS

### Mass transfer coefficients

Chinen et al. (2018) have reported that the mass transfer correlations by Billet and Schultes (1999) and the interfacial area model of Tsai (2010) provide good estimates for MEA-CO<sub>2</sub>-H<sub>2</sub>O system. The values of  $C_V$  and  $C_L$  obtained from their integrated approach of simultaneously regressing the mass transfer and interfacial area model parameters are used in this work.

$$\begin{aligned} k_{V,i} \cdot a_e &= C_V \frac{1}{(\varepsilon_p - \varepsilon_L)^{1/2}} \frac{a^{3/2}}{d_h^{1/2}} D_{V,i} \left( \frac{u_V}{a V_V} \right)^{3/4} \left( \frac{\mu_V}{\rho_V D_{V,i}} \right)^{1/3} \left( \frac{a_e}{a} \right); \quad C_V = 0.35 \\ k_{L,CO_2} \cdot a_e &= C_L \cdot 12^{1/6} \left( \frac{u_L}{\varepsilon_L} \right)^{1/2} \left( \frac{D_{L,CO_2}}{d_h} \right)^{1/2} a \left( \frac{a_e}{a} \right); \quad C_L = 0.203 \\ d_h &= 4 \frac{\varepsilon_p}{a_p} \quad \varepsilon_p = 0.97; a_p = 250 \text{ m}^2 \text{m}^{-3} \end{aligned} \quad (\text{S46})$$

### Interfacial area model

The regressed interfacial area model of Tsai (2010) by Chinen et al. (2018)

$$\frac{a_e}{a_p} = 1.42 \left[ \frac{\rho_L}{\sigma_L} g^{1/3} \left( \frac{u_L A}{L_p} \right)^{4/3} \right]^{0.12} \quad (\text{S47})$$

### Vapor phase heat transfer coefficient

The convective heat transfer coefficient in the vapor phase is calculated using the Chilton-Colburn analogy

$$h_{VL} = k_{V,CO_2} C_{p,V} \rho_V \left( \frac{\lambda_V}{C_{p,V} \rho_V D_{V,CO_2}} \right)^{2/3} \quad (\text{S48})$$

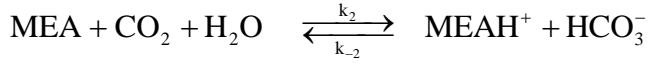
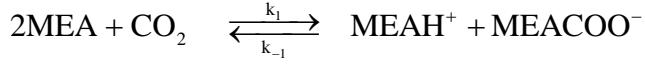
### Second order rate constant

$$\begin{aligned} k_{rx} (\text{m}^3/\text{kmol} \cdot \text{s}) &= k_{\text{MEA}} C_{\text{MEA}} + k_{\text{H}_2\text{O}} C_{\text{H}_2\text{O}} \\ k_{\text{MEA}} (\text{m}^6/\text{kmol}^2 \cdot \text{s}) &= 2.003 \times 10^{10} \exp \left( -\frac{4742}{T_L} \right) \\ k_{\text{H}_2\text{O}} (\text{m}^6/\text{kmol}^2 \cdot \text{s}) &= 4.147 \times 10^6 \exp \left( -\frac{3110}{T_L} \right) \end{aligned} \quad (\text{S49})$$

## Reconstitution of apparent species from true species

(Asprion 2004)

In the aqueous phase of the MEA-CO<sub>2</sub>-H<sub>2</sub>O system, the following no. of reactions(R=2) are considered,



**STEP 1:** order all species in a vector such that the apparent species appear first.

$$S = \left\{ \text{H}_2\text{O}, \text{CO}_2, \text{MEA}, \text{HCO}_3^-, \text{MEACOO}^-, \text{MEA}\text{H}^+ \right\}^T$$

**Step 2:** Create the matrix of stoichiometric coefficients of dimensions  $R \times S$  using the ordering in step 1.

$$\begin{pmatrix} v_{i,k} \end{pmatrix} = \begin{pmatrix} s_1 & s_2 & s_3 & s_4 & s_5 & s_6 \\ 0 & -1 & -2 & 0 & 1 & 1 \\ -1 & -1 & -1 & 1 & 0 & 1 \end{pmatrix} R_i$$

**Step 3:** create two vectors of mole numbers  $\bar{\mathbf{n}}$  and  $\bar{\bar{\mathbf{n}}}$  such that,  $\bar{\mathbf{n}}$  contains the first S-R elements as ordered in step 1 and  $\bar{\bar{\mathbf{n}}}$  contains the remaining elements. Then, split the matrix,  $\begin{pmatrix} v_{i,k} \end{pmatrix}$  accordingly into  $\bar{v}$  and  $\bar{\bar{v}}$ .

$$\bar{\mathbf{n}} = \begin{pmatrix} n_{\text{H}_2\text{O}} \\ n_{\text{CO}_2} \\ n_{\text{MEA}} \\ n_{\text{HCO}_3^-} \end{pmatrix}, \quad \bar{\bar{\mathbf{n}}} = \begin{pmatrix} n_{\text{MEACOO}^-} \\ n_{\text{MEA}\text{H}^+} \end{pmatrix}, \quad \bar{v} = \begin{pmatrix} 0 & -1 & -2 & 0 \\ -1 & -1 & -1 & 1 \end{pmatrix}, \quad \bar{\bar{v}} = \begin{pmatrix} 1 & 1 \\ 0 & 1 \end{pmatrix}$$

**Step 4:** reconstitute the apparent species using initial no. of mols,  $\bar{\mathbf{n}}^0$  defined as:

$$\bar{\mathbf{n}}^0 = \bar{\mathbf{n}} - \bar{v}^T (\bar{\bar{v}}^{-1})^T (\bar{\bar{\mathbf{n}}})$$

$$\bar{v}^T (\bar{\bar{v}}^{-1})^T = \begin{pmatrix} 1 & -1 \\ 0 & -1 \\ -1 & -1 \\ -1 & 1 \end{pmatrix} \Rightarrow \bar{v}^T (\bar{\bar{v}}^{-1})^T (\bar{\bar{\mathbf{n}}}) = \begin{pmatrix} n_{\text{MEACOO}^-} - n_{\text{MEA}\text{H}^+} \\ -n_{\text{MEA}\text{H}^+} \\ -n_{\text{MEACOO}^-} - n_{\text{MEA}\text{H}^+} \\ -n_{\text{MEACOO}^-} + n_{\text{MEA}\text{H}^+} \end{pmatrix}$$

$$\begin{aligned}
 \bar{n}_{\text{H}_2\text{O}}^0 &= n_{\text{H}_2\text{O}} - n_{\text{MEACOO}^-} + n_{\text{MEA}\text{H}^+} && (\text{H}_2\text{O balance}) \\
 \bar{n}_{\text{CO}_2}^0 &= n_{\text{CO}_2} + n_{\text{MEA}\text{H}^+} && (\text{CO}_2 \text{ balance}) \\
 \bar{n}_{\text{MEA}}^0 &= n_{\text{MEA}} + n_{\text{MEACOO}^-} + n_{\text{MEA}\text{H}^+} && (\text{MEA balance}) \\
 \bar{n}_{\text{HCO}_3^-}^0 &= n_{\text{HCO}_3^-} + n_{\text{MEACOO}^-} - n_{\text{MEA}\text{H}^+} && (\text{Charge balance})
 \end{aligned}
 \Rightarrow \boxed{\begin{aligned}
 \bar{n}_{\text{H}_2\text{O}}^0 &= n_{\text{H}_2\text{O}} - n_{\text{MEACOO}^-} + n_{\text{MEA}\text{H}^+} \\
 \bar{n}_{\text{CO}_2}^0 &= n_{\text{CO}_2} + n_{\text{HCO}_3^-} + n_{\text{MEACOO}^-} \\
 \bar{n}_{\text{MEA}}^0 &= n_{\text{MEA}} + n_{\text{MEACOO}^-} + n_{\text{MEA}\text{H}^+}
 \end{aligned}}$$

$\bar{n}_{\text{HCO}_3^-}^0 = 0$ , initial number of moles of non-apparent species is zero .

Table S17 : Absorber flow streams -NCCC Steady-State data

CASES	1	2	3	4	5	6	7
Lean solvent absorber flowrate (kg/hr)	6804	11794	3175	6804	6804	11643	3175
Lean solvent absorber loading (mol CO <sub>2</sub> /MEA)	0.145	0.247	0.083	0.108	0.347	0.154	0.239
Lean solvent MEA composition (g MEA/MEA+H <sub>2</sub> O)	0.298	0.312	0.31	0.306	0.307	0.285	0.311
Lean solvent absorber inlet temperature (°C)	40.97	40.52	46.72	41.57	40.87	40.57	42.66
Rich solvent absorber flowrate (kg/hr)	7242	12284	3343	7212	7063	12043	3337
Rich solvent absorber loading (mol CO <sub>2</sub> /MEA)	0.384	0.385	0.47	0.295	0.469	0.275	0.474
Rich solvent MEA composition (g MEA/MEA+ H <sub>2</sub> O)	0.3	0.314	0.328	0.308	0.309	0.289	0.318
Flue gas flowrate (kg/hr)	2266	2261	2261	2253	2255	2255	2250
Flue gas CO <sub>2</sub> weight fraction	0.1731	0.1718	0.1724	0.1395	0.1381	0.1393	0.1401
Flue gas H <sub>2</sub> O weight fraction	0.0462	0.053	0.0525	0.0505	0.0464	0.0466	0.0533
Flue gas N <sub>2</sub> weight fraction	0.7116	0.7066	0.7072	0.7152	0.7183	0.7193	0.7134
Flue gas O <sub>2</sub> weight fraction	0.069	0.0686	0.0678	0.0948	0.0971	0.0948	0.0932
Flue gas inlet temperature (°C)	42.48	44.94	44.73	43.78	42.18	42.47	44.87
Absorber pressure (kPa)	108.82	107.06	107.65	106.94	107.1	107.26	107.49

Table S18 : Absorber intercoolers between the packed beds -NCCC Steady-State data

CASES	1	2	3	4	5	6	7
Intercooler 1 flowrate (kg/hr)	7364.83	12340.85	3848.86	7357.23	7539.09	11634.52	3832.25
Intercooler 1 return temperature (°C)	40.13	40.19	43.34	41.15	43.39	39.99	43.31
Intercooler 2 flowrate (kg/hr)	7421.57	12261.52	2429.55	7180.54	7179.52	11504.64	2335.07
Intercooler 2 return temperature (°C)	43.32	43.32	43.33	43.36	43.26	40.39	40.03
Number of absorber beds/ intercoolers	3/2	3/2	3/2	3/2	3/2	3/2	3/2

Table S19: Stripper, reboiler and heat exchanger (HX) NCCC steady state data

CASES	1	2	3	4	5	6	7
Stripper pressure (kPa)	183.87	182.06	184.15	183.43	179.88	183.45	182.84
Rich solvent stripper inlet temperature (°C)	104.8	104.8	97.6	109	95.7	110.1	98.4
Stripper solvent exit temperature (°C)	120.18	117.43	122.53	121.68	110.21	120.35	117.69
Reboiler duty (kW)	431	430	427	677	171	677	166
Lean solvent HX flowrate (kg/hr)	6811.2	11804.4	2998.8	6811.2	6811.2	3178.8	6811.2
Lean solvent HX temperature, inlet/exit (°C)	119.3/57.5	116.6/63.8	103.3/51.6	120.8/58.5	109.5/50.5	119.7/61.7	116.7/51.9
Rich solvent HX flowrate (kg/hr)	7246.8	12294.0	3344.4	7218.0	7070.4	3340.8	7246.8
Rich solvent HX temperature, inlet/exit (°C)	53.4/111.8	59.3/110.1	46.6/97.4	56.1/110.5	45.8/103.0	57.7/111.8	48.4/108.9

Table S20 : TCM absorber 2015 baseline data from Faramarzi et al. (2017).

Flue gas supply rate (Sm <sup>3</sup> /h)	59430	
Flue gas supply temperature (°C)	29.8	
Flue gas supply pressure (barg)	0.01	
Flue gas supply CO <sub>2</sub> concentration (vol%)	3.7	
Flue gas supply O <sub>2</sub> concentration (vol%)	14.6	
Flue gas supply water content (vol%)	3.7	
Lean amine supply flow rate (kg/h)	57434	
Lean MEA concentration (wt%)	31	
Lean CO <sub>2</sub> loading (mol CO <sub>2</sub> /mol MEA)	0.2	
Active absorber packing height (m)	24	
Lean amine supply temperature (°C)	37	
Absorber Beds	Height (m)	Temperature (°C)
Upper Absorber Bed	23.5	47.4
	22.5	51.7
	21.5	51.6
	20.5	50.5
	19.5	49.9
	18.5	48.9
Middle Absorber Bed	17.5	47.2
	16.5	46.0
	15.5	44.4
	14.5	43.1
	13.5	42.2
	12.5	40.9
Lower Absorber Bed	11.5	40.6
	10.5	41.6
	9.5	37.4
	8.5	37.1
	7.5	35.9
	6.5	34.3
	5.5	34.1
	4.5	33.8
	3.5	32.9
	2.5	33.2
	1.5	32.5
	0.5	32.4

Table S21: TCM Stripper 2015 baseline data from Faramarzi et al. (2017).

Stripper overhead pressure (barg)		0.91
Stripping section packing height (m)		8
Rich solution supply temperature (°C)		110.7
Stripper Bed	Height (m)	Temperature (°C)
	7	102.7
	6	103.1
	5	104.5
Stripper Packing	4	107.7
	3	112.1
	2	114.7
	1	119.4
Stripper sump temperature (°C)		121.0

$$\text{Gas-side \% capture} = \frac{\text{flowrate}_{\text{CO}_2,\text{IN}}^{\text{absorber,gas}} - \text{flowrate}_{\text{CO}_2,\text{OUT}}^{\text{absorber,gas}}}{\text{flowrate}_{\text{CO}_2,\text{IN}}^{\text{absorber,gas}}} \times 100, \quad (\text{S50})$$

$$\text{Liquid-side \% capture} = \frac{\text{flowrate}_{\text{CO}_2,\text{OUT}}^{\text{absorber,liquid}} - \text{flowrate}_{\text{CO}_2,\text{IN}}^{\text{absorber,liquid}}}{\text{flowrate}_{\text{CO}_2,\text{IN}}^{\text{absorber,gas}}} \times 100$$